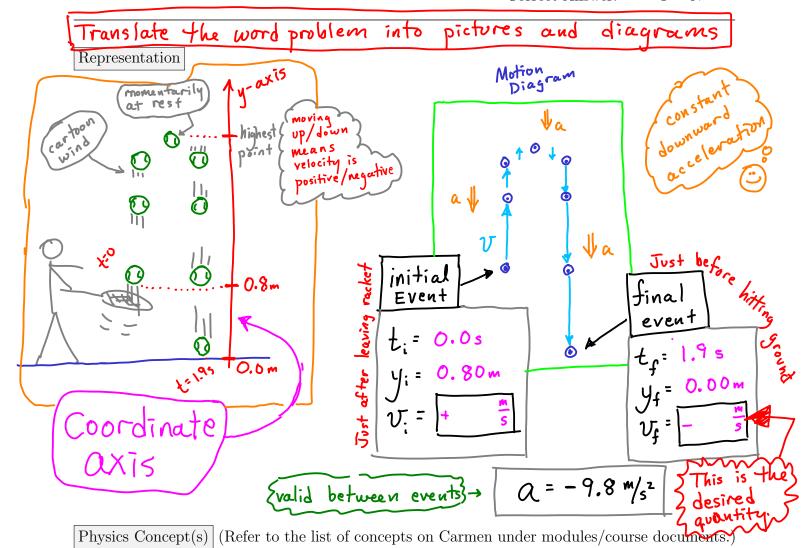
## \*See the HiHW grading rubric posted on Carmen under modules/course documents\*

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While warming up before the match, Serena Williams is gently bouncing a tennis ball up and down on her racket. She then gives it a powerful upward hit from an initial height of 0.80 m and sends it traveling perfectly vertically. After rising to its maximum height, the ball falls back down to the court. Given that the ball was in the air for a total of 1.9 s, determine its velocity upon hitting the court.

Representation:	0	1	2
Physics Concept(s):	0	1	2
Initial Equation(s):	0	0.5	1
Symbolic Answer:	0		1
Units Check:	0	0.5	1
Neatness:	-2	-1	0
Total:			
Correct Answer:	Y	N	



(1) One-dimensional kinematics (with constant acceleration)

 $\frac{\text{Initial Equation(s)}}{\text{Eq.}} 0: \left( \triangle y \right) = V_i \cdot \left( \triangle t \right) + \frac{1}{2} \cdot \alpha \cdot \left( \triangle t \right)^2$ Eq. 2:  $V_f = V_i + \alpha \cdot (\Delta t)$ Algebra Work (Symbols only. Don't plug in any numbers yet.) Eq.(1):  $(\Delta y) = (v_i \cdot (\Delta t) + \frac{1}{2} \alpha \cdot (\Delta t)^2)$   $(\Delta y) - \frac{1}{2} \alpha \cdot (\Delta t)^2 = v_i \cdot (\Delta t) \cdot \frac{\text{Subtract}}{2a \cdot (\Delta t)^2}$  $v_i = \left\{ \frac{\Delta y}{\Delta t} - \frac{1}{2} \alpha \cdot (\Delta t) \right\}$   $v_i = \left\{ \frac{\Delta y}{\Delta t} - \frac{1}{2} \alpha \cdot (\Delta t) \right\}$   $v_i = \left\{ \frac{\Delta y}{\Delta t} - \frac{1}{2} \alpha \cdot (\Delta t) \right\}$  $\alpha = -9.8 \frac{m}{s^2}$ Substitute that into Eq 2: Eq 3: Vf = Vi + a. (At)  $= \left\{ \frac{\Delta y}{(\Delta t)} - \frac{1}{2} \alpha \cdot (\Delta t) \right\} + \alpha \cdot (\Delta t) \leftarrow \left\{ \frac{(\Delta t)}{-\frac{1}{2} + 1} = +\frac{1}{2} \right\}$  $= \frac{\Delta y}{\Delta y} + \frac{1}{2} \alpha \cdot (\Delta t)$  $\mathcal{V}_{f} = \frac{(\Delta y)}{(\Delta t)} + \frac{1}{2} \alpha \cdot (\Delta t) = \frac{(\Delta y) + \frac{1}{2} \alpha \cdot (\Delta t)^{2}}{(\Delta t)}$ Symbolic Answer: [x] = units of x  $[(\Delta t)] = second$ Units Check .  $[v_f] = \frac{m}{s} \stackrel{?}{=} [(\Delta y)] = \frac{m}{s} \stackrel{?}{=} [\alpha(\Delta t)] = \frac{m}{s^2} \cdot s = \frac{m}{s}$ Note that all three terms have the same units.

Numerical Answer (Obtain this by plugging numbers into your symbolic answer.)

 $(\Delta t) = t_f - t_i = (1.9) - (0) = 1.9s$ (AV) = V+ - V; = - 3 Unknown.

Pay attention  $V_f = \frac{(-0.8)}{(1.9)} + \frac{1}{2} (-9.8)(1.9)$  $(\Delta t) = t_f - t_i = (1.1)$   $(\Delta y) = y_f - y_i = (0) - (0.8) = -0.80 \text{m}$   $v_f = -9.7 \frac{\text{m}}{5}$ Note use of parenthese